

Buddha Institute of Technology

Gorakhpur Department of Mechanical Engineering ALLOTMENT BASED ON COMPETENCY SKILLS Academic Session: 2022-223

Name of the Staff	Mr Vikas Kumar Singh
Area of Specialization	CAD/CAM
Subject Allotted	Strength of Material

Sl. #	Course Code	Course Title	Semester	Theory/Practical
1.	KME502	Strength of Material	V Sem Batch B	Theory

HOD

Course Outcome and Programme Outcome

Program	: B. Tech.
Branch	: ME
Semester	: V
Session	: 2022-23
Name of the Course	: Strength of Material
Code	:KME502
Name of the Course Instructor	: Vikas Kumar Singh
Designation	: Assistant Professor
Department	: Mechanical Engineering

Description of the Course Outcome:

СО	After completion of the course students will be able to:
KME 502	Understand the concept of stress and strain under different conditions of
	loading
KME 502	Determine the principal stresses and strains in structural members
KME 502	Determine the stresses and strains in the members subjected to axial,
	bending and torsional loads.
KME 502	Apply the concepts of stresses and strain in solving problems related to
	springs, column and pressure vessels
KME 502	Calculate the slope, deflection and buckling of loaded members
KME 502	Analyze the stresses developed in straight and curved beams of different cross sections

Buddha Institute	Gorakhpur		ASTITUTE	01 740			
Department: Mechanical Engineering					HOUND		
Academic Semester: July – Dec 2022					BI	T	
Semester: V	Section: B	Course Code: I	KME502	Course	e: Strength of Material		
Course Instructor: Mr. Vikas Kumar Singh			Contact	Hours /we	eek: 06	# of credits: 03	
CIE Marks: 50 SE		SEE Marks:10	00	Exam Hours: 03		rs: 03	

Prerequisites	s if any:		
Code No	Course Name	Description	Semester
KME402	Engineering mechanics	Engineering mechanics	IV

Content delivery:	Chalk & Board, DLP, System/Laptop with social media videos
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	COURSE SYLLABUS:		
ModuleNo	Contents of Module	Hrs	COs
1	Compound stress and strains: Introduction, normal stress and strain, shear stress and strain, stresses on inclines sections, strain energy, impact loads and stresses, state of plane stress, principal stress and strain, maximum shear stress, Mohr's circle for plane stress, three dimensional states of stress & strain, equilibrium equations, generalized Hook's law, theories of failure. Thermal Stresses.	14	C01
2	 Stresses in Beams: Pure Bending, normal stresses in beams, shear stresses in beams due to transverse and axial loads, composite beams. Deflection of Beams: Differential equation of the elastic curve, cantilever and simply supported beams, Macaulay's method, area moment method, fixed and continuous beams Torsion: Torsion, combined bending & torsion of solid & hollow shafts, torsion of thin walled tubes. 	10	CO2
3	 Helical and Leaf Springs: Deflection of springs by energy method, helical springs under axial load and under axial twist (respectively for circular and square cross sections) axial load and twisting moment acting simultaneously both for open and closed coiled springs, laminated springs. Columns and Struts: Buckling and stability, slenderness ratio, combined bending and direct stress, middle third and middle quarter rules, struts with different end conditions, Euler's theory for pin ended columns, effect of end conditions on column buckling, Ranking Gordon formula, examples of columns in mechanical equipment and machines. 	11	CO3
4	 Thin cylinders & spheres: Introduction, difference between thin walled and thick walled pressure vessels, thin walled spheres and cylinders, hoop and axial stresses and strain, volumetric strain. Thick cylinders: Radial, axial and circumferential stresses in thick cylinders subjected to internal or external pressures, compound cylinders, stresses in rotating shaft and cylinders, stresses due to interference fits. 	10	C04
5	Curved Beams: Bending of beams with large initial curvature, position of neutral axis for rectangular,trapezoidal and circular cross sections, stress in crane hooks, stress in circular rings subjected to tension or compression. Unsymmetrical Bending: Properties of beam cross-section, slope of neutral axis, stress and deflection in unsymmetrical bending, determination of shear center and flexural axis (for symmetry about both axis and about one axis) for I-section and channel section.	12	C05

COURSE OUTCOMES: At the end of the Course, the Student will be able to:

KME502	Understand the concept of stress and strain under different conditions of loading
KME502	Determine the principal stresses and strains in structural members
KME502	Determine the stresses and strains in the members subjected to axial, bending and torsional loads and Calculate the slope, deflection and buckling of loaded members
KME502	Apply the concepts of stresses and strain in solving problems related to springs, column and pressure vessels
KME502	Analyze the stresses developed in straight and curved beams of different cross sections

Mapping of CO v/s PO:

	PO-1	PO-2	PO-3	PO-4	PO-5	P0-6	PO-7	PO-8	PO-9	PO-10	PO-11	PO-12
KME054.1	3	3	3	2	2	-	-	-	-	-	-	2
KME054.2	-	-	2	1	-	2	-	-	-	2	1	2
KME054.3	-	-	2	1	-	-	-	-	-	2	1	2
KME054.4	-	-	3	1	-	2	3	-	-	2	1	2
KME054.5	-	-	2	1	-	1	-	-	-	2	1	2

Correlation levels: 1-Slight (Low)

2-Moderate (Medium)

3-Substantial (High)

Mapping of CO v/s PSO:

	PSO1	PSO2
KME502.1	3	3
KME502.2	3	3
KME502.3	3	3
KME502.4	3	3
KME502.5	3	3

Gap in the syllabus	NA
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Topics to be covered	NA
beyond syllabus	

Assessment Methodologies:

Sl. No.	Description	Туре
1	Student Assignment	Direct
2	Internal assessment	Direct
3	University exam	Direct
4	Student feedback	Indirect
5	Alumni feedback	Indirect
6	Employers feedback	Indirect

LESSON PLAN

Lecture #	Module #	Topics	RBT Levels	Course Outcome Mapping	Planned Date	Actual Date	Faculty Sign	Remark s
1		Introduction to stress			22/8/22			
2	1	Normal stress and strain	L2, L3, L4	CO1	23/8/22			

3		Shear stresses and			24/8/22		
4		strain Stresses on inclined			25/8/22		
4		sections 1-D					
5		Stresses on inclined sections 2-D			26/8/22		
6		Tutorial			27/8/22		
7		Numerical			29/8/22		
8		Strain Energy			30/8/22		
9		Impact load and stresses			31/8/22		
10		Plane stress and plane strain			1/9/22		
11		Principle stresses and principle strain			2/9/22		
12		Tutorial			3/9/22		
13		Maximum shear stress in a material			5/9/22		
14		Mohr's circle			6/9/22		
15		Mohr's circle cont.			7/9/22		
16		3-D stress and strain			8/9/22	 	
17		Generalized Hook's law			9/9/22		
18		Tutorial			10/9/22		
19		Theories of failure			12/9/22		
20		Theories of failure cont.			13/9/22		
21		Thermal stresses and strain			14/9/22		
22		Pure Banding			15/9/22		
23		Normal stresses in beams			16/9/22		
24		Tutorial			22/9/22		
25		Shear stresses in beams due to transverse loads			23/9/22		
26		Shear stresses in beams due to transverse loads cont.			24/9/22		
27		Shear stresses in beams due to axial loads	10.10		1/10/22		
28	2	Shear stresses in beams due to axial loads cont.	L2, L3, L4	CO2	3/10/22		
29		Composite beams			6/10/22		
30.		Tutorial			10/10/22		
31.		Differential equation of elastic curve			11/10/22		
32.		Deflection of cantilever beams			12/10/22		
33.		Deflection of cantilever beams cont.			13/10/22		

34.		Deflection of cantilever			14/10/22	
57.		beams cont. Deflection of Simply			15/10/22	
35.		supported beams beams cont.			15/10/22	
36.		Tutorial			17/10/22	
37.		Deflection of Simply supported beams beams cont.			18/10/22	
38.		Macaulay's method			27/10/22	
39.		Area moment method			28/10/22	
40.		Fixed and continuous beams			29/10/22	
41.		Torsion			31/10/22	
42.		Tutorial			1/11/22	
43.		Combined bending and torsion of solid shaft			7/11/22	
44.		Combined bending and torsion of hollow shaft			8/11/22	
45.	-	Torsion of thin walled tube			11/11/22	
46.		Spring			12/11/22	
47.		Deflection of spring under axial load	L2, L4	СО3	14/11/22	
48.		Tutorial			15/11/22	
49.		Deflection of spring under axial twist			16/11/22	
50.		Deflection of spring under combined loading			17/11/22	
51.		Laminated spring			18/11/22	
52.	-	Numrical			19/11/22	
53.	3	Buckling and stability of column			21/11/22	
54.		Tutorial			22/11/22	
55.		Combined bending and direct stresses			23/11/22	
56.		Middle 3 rd and quarter rules			24/11/22	
57.		Euler's theory			25/11/22	
58.		Euler's theory cont.			26/11/22	
59.		Rankine Gordon formulae			28/11/22	
60.		Tutorial			29/11/22	
61.		Thin cylinders			30/11/22	
62.		Thin cylinders cont.			1/12/22	
63.	4	Thin Spheres	L2.L3	CO4	2/12/22	
64.	1	Volumetric strain	12.113	UUT	3/12/22	
65.		Numerical			5/12/22	

66.		Tutorial			6/12/22		
67.		Thick cylinders			7/12/22		
68.		Thick cylinders cont.			8/12/22		
70.		Stresses due to interference fits			9/12/22		
71.		Curved beam			10/12/22		
72.		Position of nuteral axis			12/12/22		
73.	5	Stresses	L2	CO5	13/12/22		
74.		Unsymmetrical bending			14/12/22		
75.		Stresses in unsymmetrical bendign			15/12/12		

*L1 – Remembering; L2 – Understanding; L3 – Applying; L4 – Analysing; L5 – Evaluating; L6 - Creating

Literature:

Text Books:

1. Strength of materials by Sadhu Singh, Khanna Book Publishing Co. (P) Ltd.

- 2. Strength of Material by Rattan, MC GRAW HILL INDIA
- 3. Mechanics of Materials by B.C. Punmia, Laxmi Publications (P) Ltd.

Reference Books:

- 1. Mechanics of Materials by Hibbeler, Pearson.
- 2. Mechanics of material by Gere, Cengage Learning
- 3. Mechanics of Materials by Beer, Jhonston, DEwolf and Mazurek, MC GRAW HILL INDIA
- 4. Strength of Materials by Pytel and Singer, Harper Collins
- 5. Strength of Materials by Ryder, Macmillan.
- 6. Strength of Materials by Timoshenko and $Y\sigma$ ungs, East West Press.
- 7. Introduction to Solid Mechanics by Shames, Pearson
- 8. Mechanics of material by Pytel, Cengage Learning
- 9. An Introduction to Mechanics of Solids by Crandall, MC GRAW HILL INDIA
- 10. Strength of Materials by Jindal, Pearson Education
- 11. Strength of Materials by Basavajaiah and Mahadevappa, University Press.

Sample Questions:

Question No.	Questions
	Mohr's Circle for two like stresses P1&P2 . P1&P2 .
	Mohr's Circle construction for two unlike stresses P1&P2 . P1&P2 .
3	Theory of failures.

4	Mohr's Circle for the general case of plane stress.
5	$M = EI \frac{d^2y}{d^2x} M = EI \frac{d^2y}{d^2x}$
	Differential equation of deflection curve of beam. $M = LT \frac{d^2x}{d^2x} M = LT \frac{d^2x}{d^2x}$
6	Derive an expression for the slope and deflection of a beam subjected to uniform
	$ = -A - \frac{ML}{R} = -A - \frac{ML}{R} $
	$\mathbb{E}_{A} = \theta_{B} = \frac{ML}{2EI} \mathbb{E}_{A} = \theta_{B} = \frac{ML}{2EI}$ bending moment.
7	Explain Macaulay's method
}	Derive an expression for the slope and deflection of a beam subjected to uniform
	bending moment.
)	Castigliano;s theorem
0	Explain moment area method foe deflection and slop calculation
1	$\frac{T}{J} = \frac{G\theta}{L} = \frac{\tau}{R} \frac{T}{J} = \frac{G\theta}{L} = \frac{\tau}{R}$
	Torsion equation $J = \frac{1}{L} = \frac{1}{R} = \frac{1}{L} = \frac{1}{R}$
2	Strain energy stored in a body due to torsion
.3	Combined bending & torsion
.4	$\frac{M \sigma E M \sigma E}{M \sigma E}$
. 1	$\frac{M}{I} = \frac{\sigma}{Y} = \frac{E}{R} \frac{M}{I} = \frac{\sigma}{Y} = \frac{E}{R}$ Bending equation.
.5	Distribution of shear stresses
.6	Shear stress distribution over solid rectangular section
.7	Shear stress distribution over triangle section
.8	Shear stress distribution over I-section
.9	
	Shear stress distribution over solid circular section
20	Helical spring derivation $\delta = \frac{64WR^8n}{Gd^4}$ Helical spring derivation $\delta = \frac{64WR^8n}{Gd^4}$
	$\mathbb{P} = \frac{16WR}{\pi d^3} \mathbb{P} = \frac{16WR}{\pi d^3}$
1	$[Cos^2 \alpha Sin^2 \alpha]$
21	$\mathbb{E} = 2WR^3 n\pi \sec \sec \mathbb{E} \left[\frac{\cos^2 \alpha}{CI} + \frac{\sin^2 \alpha}{EI} \right]$
21	For open coiled with axial load
21	For open coiled with axial load
	$\mathbb{P} = 2WR^3 n\pi \sec \sec \mathbb{P} \left[\frac{\cos^2 \alpha}{GJ} + \frac{\sin^2 \alpha}{EI} \right]$
21	For open colled with axial load $\mathbb{P} = 2WR^3 n\pi \sec \sec \mathbb{P} \left[\frac{\cos^2 \alpha}{GJ} + \frac{\sin^2 \alpha}{EI} \right]$
	For open coiled with axial load
	For open coiled with axial load
	For open colled with axial load $\mathbb{P} = 2WR^3 n\pi \sec \sec \mathbb{P}\left[\frac{\cos^2 \alpha}{GJ} + \frac{\sin^2 \alpha}{EI}\right]$ $\mathbb{P} = 2TRn\pi Seca\left[\frac{\sin^2 \alpha}{GJ} + \frac{\cos^2 \alpha}{EI}\right]$
	For open coiled with axial load
2	For open coiled with axial load
22 23	For open coiled with axial load
22	For open coiled with axial load
22 23	For open coiled with axial load
22 23 24	For open colled with axial load
22 23 24	For open colled with axial load
22 23 24 25	For open colled with axial load
22	For open coiled with axial load $P = 2WR^3 n\pi \sec \sec \mathbb{E}\left[\frac{Cos^2 \alpha}{GJ} + \frac{Sin^2 \alpha}{EI}\right]$ $P = 2TRn\pi Seca\left[\frac{Sin^2 \alpha}{GJ} + \frac{Cos^2 \alpha}{EI}\right]$ $P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2} P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2}$ Discuss Rankine-Gordon formula. $P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2} P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2}$ $Eulers formula P = \frac{\pi^2 EI}{L^2}$ $P = \frac{\pi^2 EI}{4L^2} P = \frac{\pi^2 EI}{4L^2}$ one end fixed and other end is free $P = \frac{2\pi^2 EI}{L^2} P = \frac{2\pi^2 EI}{L^2}$
22 23 24 25 26	For open coiled with axial load $P = 2WR^3 n\pi \sec \sec \mathbb{E}\left[\frac{Cos^2 \alpha}{GJ} + \frac{Sin^2 \alpha}{EI}\right]$ $P = 2TRn\pi Sec\alpha \left[\frac{Sin^2 \alpha}{GJ} + \frac{Cos^2 \alpha}{EI}\right]$ $P = \frac{\sigma_c A}{1 + \alpha \left(\frac{L_g}{k}\right)^2} P = \frac{\sigma_c A}{1 + \alpha \left(\frac{L_g}{k}\right)^2}$ Discuss Rankine-Gordon formula. $P = \frac{\sigma_c A}{1 + \alpha \left(\frac{L_g}{k}\right)^2} P = \frac{\sigma_c A}{1 + \alpha \left(\frac{L_g}{k}\right)^2}$ $Eulers formula P = \frac{\pi^2 EI}{L^2}$ $P = \frac{\pi^2 EI}{4L^2} P = \frac{\pi^2 EI}{4L^2}$ one end fixed and other end is free $P = \frac{2\pi^2 EI}{L^2} P = \frac{2\pi^2 EI}{L^2}$
22 23 24 25 26	For open coiled with axial load $P = 2WR^3 n\pi \sec \sec \mathbb{E}\left[\frac{Cos^2 \alpha}{GJ} + \frac{Sin^2 \alpha}{EI}\right]$ $P = 2TRn\pi Seca\left[\frac{Sin^2 \alpha}{GJ} + \frac{Cos^2 \alpha}{EI}\right]$ $P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2} P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2}$ Discuss Rankine-Gordon formula. $P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2} P = \frac{\sigma_c A}{1+\alpha \left(\frac{L_g}{k}\right)^2}$ $Eulers formula P = \frac{\pi^2 EI}{L^2}$ $P = \frac{\pi^2 EI}{4L^2} P = \frac{\pi^2 EI}{4L^2}$ one end fixed and other end is free $P = \frac{2\pi^2 EI}{L^2} P = \frac{2\pi^2 EI}{L^2}$
2 3 3 4 5 5 6 7 7	For open coiled with axial load
22 23 24 25	For open coiled with axial load
22 23 24 25 26 27 28	For open colled with axial load
22 23 24 25 26 27	For open colled with axial load
22 23 24 25 26 27 28 29	For open coiled with axial load
22 33 44 55 66 77 88 88 89 89 80	For open coiled with axial load
22 23 24 25 26 27 28	For open coiled with axial load

Assessment rubrics that is going to be adopted for direct attainment is depicted in below table

Excellent (A)The Student's performance is outstanding in almost all the intended course learning outcomes40 toGood (B)The student's performance is good in most of the intended course learning outcomes.30 toManipulationThe student's performance is barely satisfactory. It marginally20 to	: f 50)
Good (B) course learning outcomes. 30 to The student's performance is barely satisfactory. It marginally.	50
The student's performance is barely satisfactory. It marginally	40
Marginal (C) meets the intended course learning outcomes 20 to	30
Fail (F)The Students performance is inadequate. Student fails to meet many of the intended course learning outcomesLess that	an 20

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